

4.2

Name (print first and last) _____

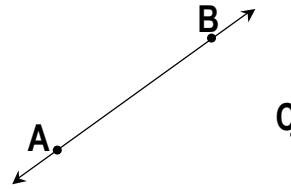
Per _____ Date: 11/13 due 11/15

4.2 Angles: Transversals

Geometry Regents 2013-2014 Ms. Lomac

SLO: I can solve problems involving angles formed by transversals.

- (1) Construct 180° rotation of \overleftrightarrow{AB} around point C.

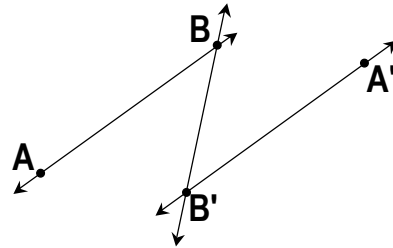
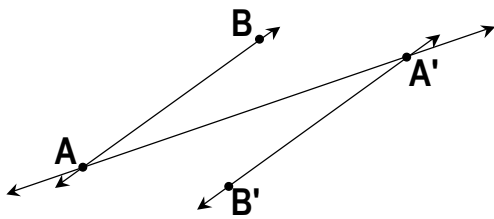


- (2) Refer to your work in problem 1 to complete the tasks below.

(a) Rotating a line 180° around a point that is NOT on the line results in a line _____ to the original.

(b) Rotations preserve _____ and _____ (see unit 3). This means that $\overline{AB} \cong$ _____ and $\angle BAC \cong$ _____ and $\angle ABC \cong$ _____ because _____, _____, and _____ are images of _____, _____, and _____ under rotation.

- (c) The construction from #1 is redrawn below twice. The first diagram is drawn with transversal $\overleftrightarrow{AA'}$ and the second is drawn with transversal _____.



*In the first diagram show that $\angle BAA' \cong$ _____ with congruence marks:

*In the second diagram show that $\angle ABB' \cong$ _____ with congruence marks:

*These pairs of angles are called **alternate interior** angles because they are inside/outside (circle one) of the parallel lines AND they are on the same/opposite (circle one) side of the transversal. These pairs of angles are congruent because _____ maps to _____ under rotation and _____ maps to _____ under rotation and because rotation preserves _____.

- (d) Summarize the relationship between parallel lines and **alternate interior** angles.

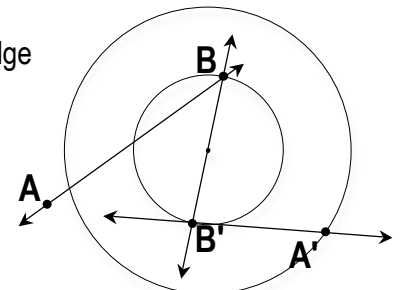
Lines are _____ when **alternate interior** angles are _____

AND...

Alternate interior angles are _____ when lines are _____

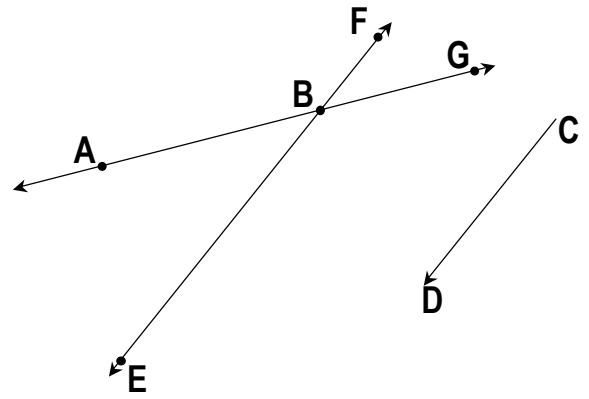
- (e) In the diagram at right, is B' a 180° rotation of B around the center of the circle?

_____ Is A' a 180° rotation of A around the same center? _____ Use your knowledge of rotations to write a convincing argument that **alternate interior** angles are *not* congruent when lines are *not* parallel. _____



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(3) Construct a translation of \overrightarrow{AB} along vector \overrightarrow{CD} by translating points A, B, and G.



(a) $\overrightarrow{AG} \parallel \overrightarrow{A'G'}$ because _____

(b) $\angle FBG \cong \angle FB'G'$ because translations

(c) Mark the diagram to show that $\angle FBG \cong \angle FB'G'$.

(d) $\angle FBG$ and $\angle FB'G'$ are **corresponding** angles.

List the other three pairs of corresponding angles.

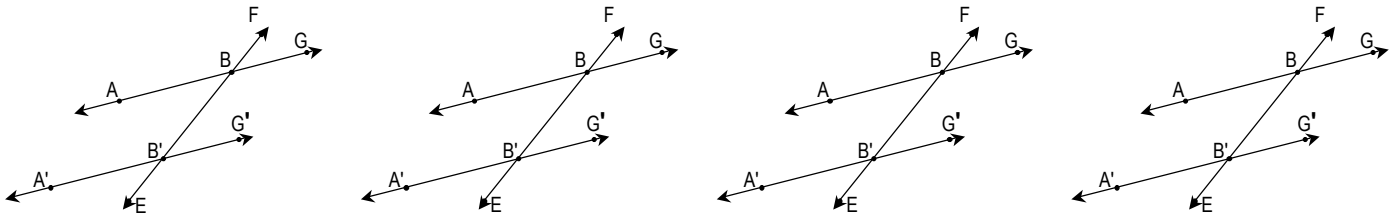
$\angle FBA \cong \angle$ _____ $\angle ABE \cong \angle$ _____ $\angle GBE \cong \angle$ _____

(4) Refer to your work in problem #3 to complete the tasks below.

(a) Translating a line results in a line _____ to the original.

(b) Translations preserve _____ and _____ (see unit 3). This means that $\angle FBG \cong \angle$ _____, $\angle FBA \cong \angle$ _____, $\angle ABE \cong \angle$ _____, and $\angle GBE \cong \angle$ _____ because the second angle is an _____ of the first under translation.

(c) The construction from #3 is redrawn below four times. The diagrams are drawn with **transversal** _____.



*In each diagram, show a different pair of corresponding angles with congruence marks. \sphericalangle \sphericalangle etc.

*These pairs of angles are called **corresponding** angles because they are in the same relative location. These pairs of angles are congruent because each _____ angle maps to the _____ angle under translation and translation preserves _____.

(d) Summarize the relationship between parallel lines and **corresponding** angles.

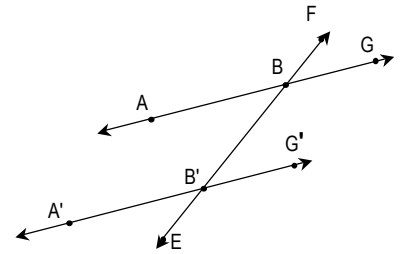
Lines are _____ when **corresponding** angles are _____

AND...

Corresponding angles are _____ when lines are _____

4.2

(5) In the diagram at right, $\overleftrightarrow{AG} \parallel \overleftrightarrow{A'G'}$. Provide a reason for each statement below.



$\angle FBA \cong \angle GBB'$ because _____

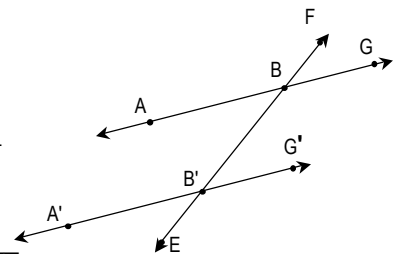
$\angle GBB' \cong \angle BB'A$ because _____

$\angle BB'A \cong \angle G'B'E$ because _____

Based on the statements above, $\angle FBA \cong \angle G'B'E$ because _____

This angle relationship between $\angle FBA$ and $\angle G'B'E$ is called **alternate exterior** because both angles are inside/outside (circle one) the parallel lines and they are on the same side/opposite side (circle one) of the **transversal**. There is one other pair of **alternate exterior** angles. Find the two angles in the pair and complete the congruence statement with them: _____ \cong _____

(6) In the diagram at right, $\overleftrightarrow{AG} \parallel \overleftrightarrow{A'G'}$. Provide a reason for each statement below.



$m\angle FBG + m\angle GBB' = 180^\circ$ because _____

$m\angle FBG = m\angle FB'G'$ because _____

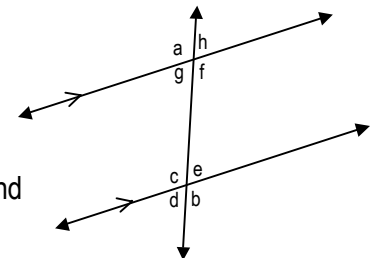
$m\angle FB'G' + m\angle GBB' = 180^\circ$ because _____

This angle relationship is called **same side interior** because both angles are inside/outside (circle one) the parallel lines and they are on the same side/opposite side (circle one) of the **transversal**. There is one other pair of **same side interior** angles. Find the two angles in the pair and complete the statement with them:

m _____ $+ m$ _____ $=$ _____

(7) Summarize all of the angle relationships we have learned so far on the angles notes page (the back of this sheet).

(8) In the diagram at right, $m\angle a = 125^\circ$. Complete each statement below:



(a) $m\angle f = 125^\circ$ because $\angle f$ is _____ to $\angle a$.

(b) $m\angle b = 125^\circ$ because $\angle b$ is _____ to $\angle a$ and _____ to $\angle f$.

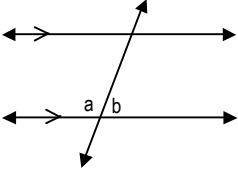
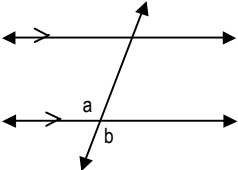
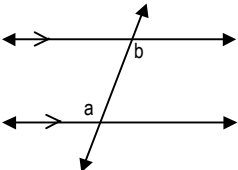
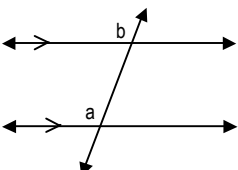
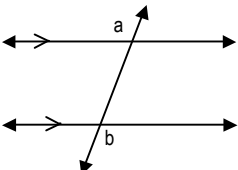
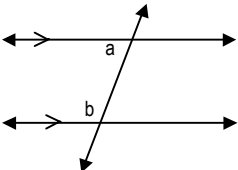
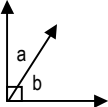
(c) $m\angle c = 125^\circ$ because $\angle c$ is _____ to $\angle a$ and _____ to $\angle f$ and _____ to $\angle b$.

(d) $m\angle g = 55^\circ$ because $\angle g$ is _____ with $\angle a$ and _____ to $\angle c$.

(e) $m\angle h = 55^\circ$ because $\angle h$ is _____ to $\angle g$.

NOTICE: Reasons can ONLY include relationships to angles that are already known.

4.2 ANGLES NOTES PAGE

<p>Diagram</p> 	<p>Name</p> <p>Equation</p>	<p>Description</p>
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4.2 Exit Ticket Name _____ Per _____

Sketch a pair of parallel lines and a transversal. Mark all congruent angles.

- 😊 I got this! 🏆
- 😊 I can with a bit of help 🏆
- 😊 I will, given lots of help 🏆
- 😊 I can't 🏆
- 😊 I won't bother to 🏆
- 😊 I refuse to 🏆

I will have the most difficulty remembering _____ angles.

I will remember them by _____

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